

Projections of ocean wave heights - climate change signal and uncertainty

by

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- Datasets and Methodologies
- Multi-model projections of changes in SWH
- CGCM2 simulated climate change signal
- Model & forcing uncertainties
- Summary

Datasets:

Previous studies → good SWH-SLP relationship

Seasonal mean SLP and squared SLP gradients - predictors
(96x48 Gaussian grid)

- "Observations": ERA40 reanalysis for 1958-2001 (44 yr)

- Projections:

3 climate models

	CGCM2	ECHAM4	HadCM3
IPCC IS92a	3	1	1
SRES A2	3	1	1
SRES B2	3	1	1

3 forcing scenarios

15 simulations

- IS92a scenario: 1961-2099 (1961-2049 for ECHAM4)

- A2 & B2 scenarios: 1990-2099

Seasonal mean & max SWH (1.5x1.5 lat/long grid) - predictand

- "Observations": ERA40 wave data for 1958-2001 (44 yr)

1. Projections of seasonal mean SWH (quasi-Gaussian)

- Fit the Regression Models:

$$RM_G : h_t = \mathbf{m}_0 + \mathbf{r}_2 G_t \quad \text{or} \quad RM_P : h_t = \mathbf{m}_0 + \mathbf{r}_1 P_t$$

$$RM : h_t = \mathbf{m}_0 + \mathbf{r}_1 P_t + \mathbf{r}_2 G_t$$

← SSE_G or SSE_P

← SSE compared with

Predictors $\begin{cases} P_t: \text{Seasonal mean SLP anomalies} \\ G_t: \text{Seasonal anomalies of squared SLP gradient} \end{cases}$

- Significance of regression par's ← Likelihood ratio tests

Results: h_t - correlated with P_t and G_t in all seasons;

Model of best fit → projections: $\hat{h}_t = \hat{\mathbf{m}}_0 + \hat{\mathbf{r}}_1 P_t + \hat{\mathbf{r}}_2 G_t$

ANOVA

2. Trend analysis on \hat{h}_t :
(3 models combined)

$$RM_0 : \hat{h}_t = \mathbf{a}_0 + \mathbf{e}_t;$$

$$RM_1 : \hat{h}_t = \mathbf{a}_0 + \mathbf{a}_1 t + \mathbf{e}_t;$$

$$RM_2 : \hat{h}_t = \mathbf{a}_0 + \mathbf{a}_1 t + \mathbf{a}_2 t^2 + \mathbf{e}_t.$$

$$\hat{h}_{trend}(t) = \hat{\mathbf{a}}_0 + \hat{\mathbf{a}}_1 t + \hat{\mathbf{a}}_2 t^2$$

(mostly nonlinear!)

3. Projections of seasonal extreme SWH (non-Gaussian)

- Generalized Extreme Value (GEV) models with covariates:

$GEV_0(\mathbf{m}, \mathbf{s}, \mathbf{x})$ where $\mathbf{m}, \mathbf{s}, \mathbf{x}$ are constants (stationary GEV);

$GEV_1(\mathbf{m}_t, \mathbf{s}, \mathbf{x})$ where $\mathbf{m}_t = \mathbf{m}_0 + \mathbf{r}_1 P_t$;

$GEV_2(\mathbf{m}_t, \mathbf{s}, \mathbf{x})$ where $\mathbf{m}_t = \mathbf{m}_0 + \mathbf{r}_1 P_t + \mathbf{r}_2 G_t$;

$GEV_3(\mathbf{m}_t, \mathbf{s}_t, \mathbf{x})$ where $\mathbf{m}_t = \mathbf{m}_0 + \mathbf{r}_1 P_t + \mathbf{r}_2 G_t$ and $\log(\mathbf{s}_t) = \mathbf{l}_0 + \mathbf{l}_1 P_t$;

$GEV_4(\mathbf{m}_t, \mathbf{s}_t, \mathbf{x})$ where $\mathbf{m}_t = \mathbf{m}_0 + \mathbf{r}_1 P_t + \mathbf{r}_2 G_t$ and $\log(\mathbf{s}_t) = \mathbf{l}_0 + \mathbf{l}_1 P_t + \mathbf{l}_2 G_t$

P_t : Seasonal mean SLP anomaly

G_t : Seasonal anomaly of squared SLP gradient

- Likelihood ratio tests → Significance of the regressions & goodness of fit of the GEVs

Results: \mathbf{s}_t - independent of both P_t and G_t

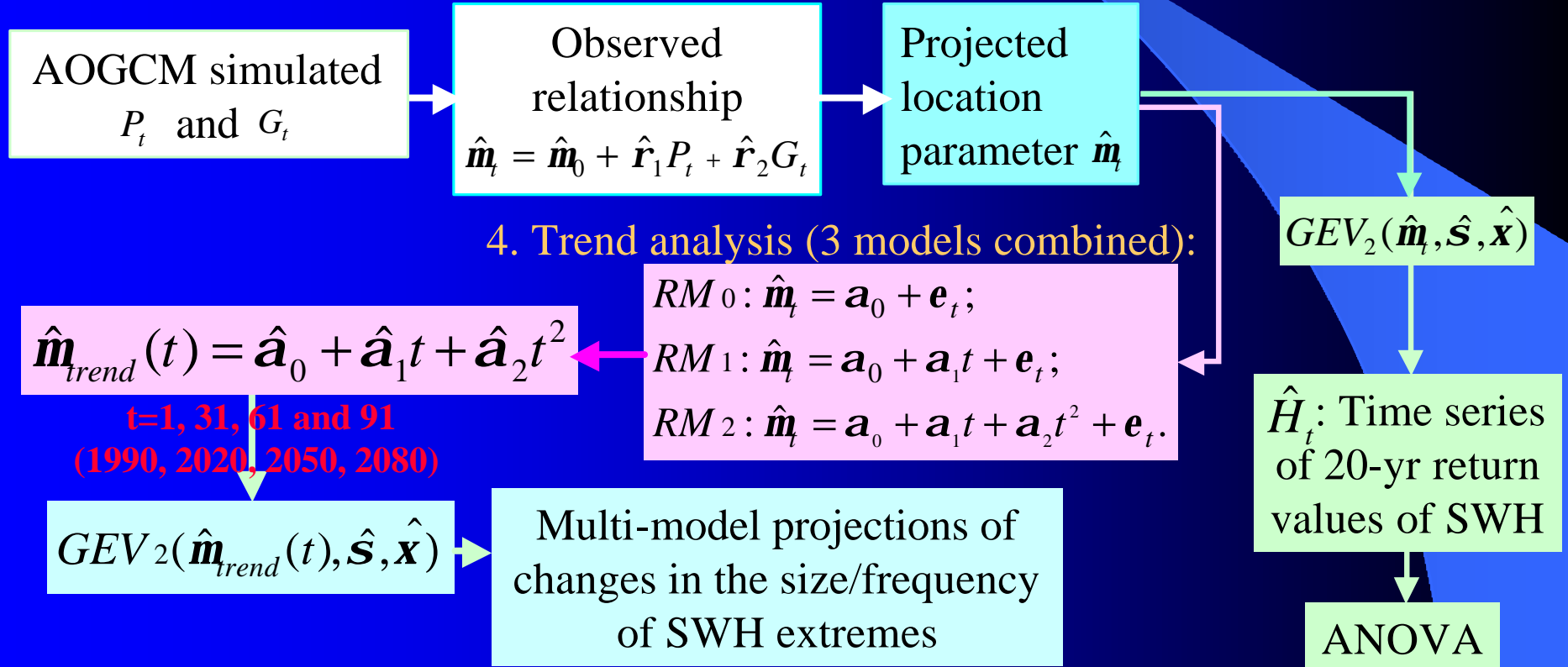
\mathbf{m}_t - correlated with P_t and G_t in all seasons.

3. Projections of seasonal extreme SWH (cont'd)

The model of best fit:

$$GEV_2(\hat{\mathbf{m}}_t, \hat{\mathbf{S}}, \hat{\mathbf{x}}) \text{ where } \hat{\mathbf{m}}_t = \hat{\mathbf{m}}_0 + \hat{\mathbf{r}}_1 P_t + \hat{\mathbf{r}}_2 G_t$$

Procedure:



4. Analysis of Variance (ANOVA)

One-way ANOVA:

CGCM2 ensemble projections ($S = 3; n = 110$) for the A2/B2 scenario

$$Y_{ts} = \mathbf{m} + \mathbf{b}_t + \mathbf{e}_{ts} \quad \text{for } s = 1, 2, \dots, S; \quad t = 1, 2, \dots, n$$

$$TSS_Y = SSB_Y + SSE_Y$$

SSB_Y : Forcing signal (var. due to the prescribed forcing)

SSE_Y : Var. due to climate noise (internal var.)

CGCM2 simulated
climate change
signal

F test:
$$F_B = \frac{(SSB_Y / (n - 1))}{SSE_Y / [n(S - 1)]} \sim F_p [(n - 1), n(S - 1)]$$

Var. proportion:
$$P_B = \left[SSB_Y - \frac{(n - 1)}{n(S - 1)} SSE_Y \right] / TSS_Y$$

Small ensemble size ($S = 3$) \rightarrow underestimate signal's significance
But ANOVA - still better than "ensemble vs. control"

4. Analysis of Variance (cont'd)

Two-way ANOVA → model and forcing uncertainties:

X_{ijt} : mean/extreme SWH projected by model i with forcing j for time t .

$$X_{ijt} = \mathbf{m} + \mathbf{g}_i + \mathbf{q}_j + \mathbf{d}_{ij} + \mathbf{e}_{ijt} \quad \text{for } i = 1, 2, \dots, m; \quad j = 1, 2, \dots, q; \quad t = 1, 2, \dots, n$$

3360

$$TSS = SSM + SSF + SSI + SSE$$

Total model and forcing uncertainties

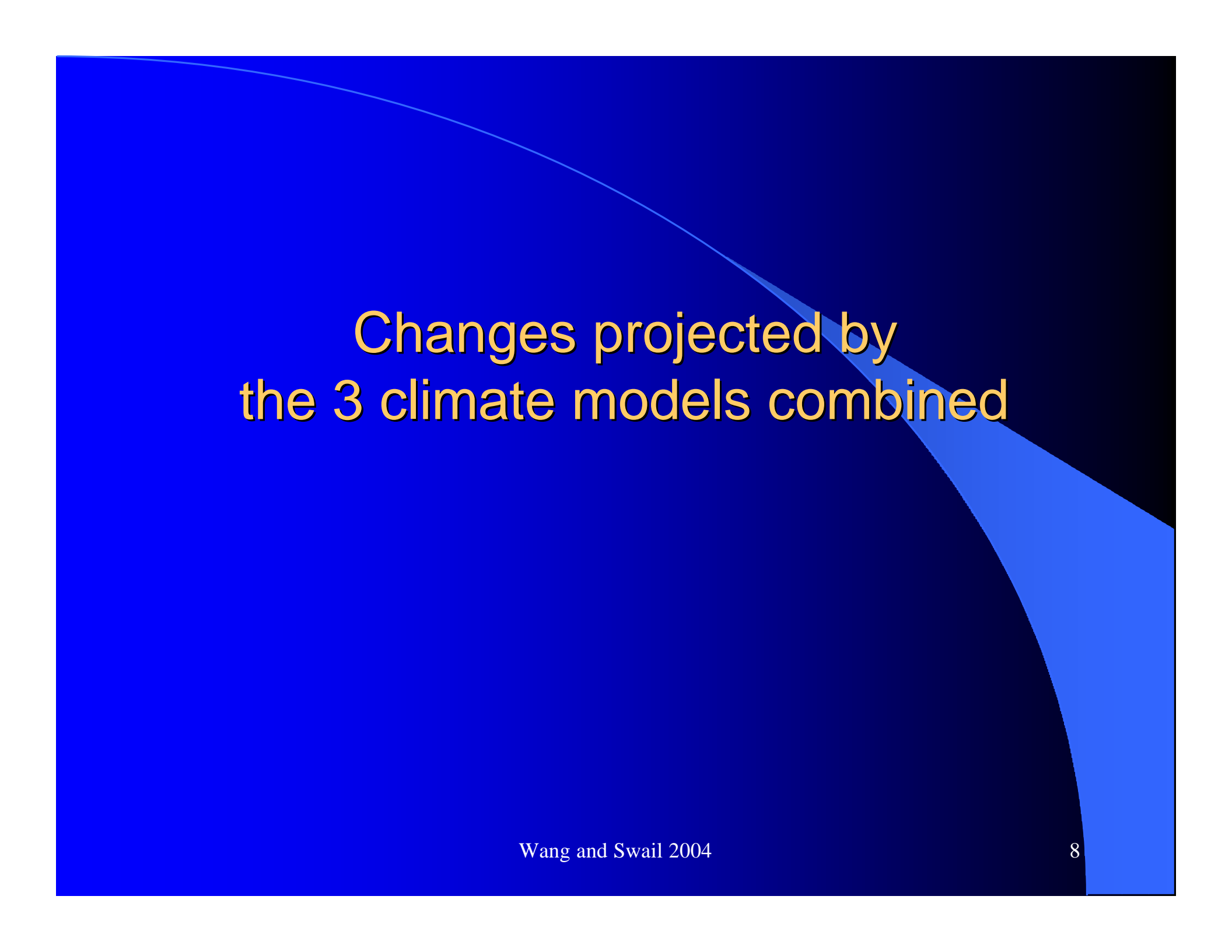
SSM : Var. due to diff. among climate models (inter-model variability)

SSF : Var. due to diff. among forcing scenarios (inter-scenario variability)

SSI : Var. due to different model sensitivities to forcing differences (interaction)

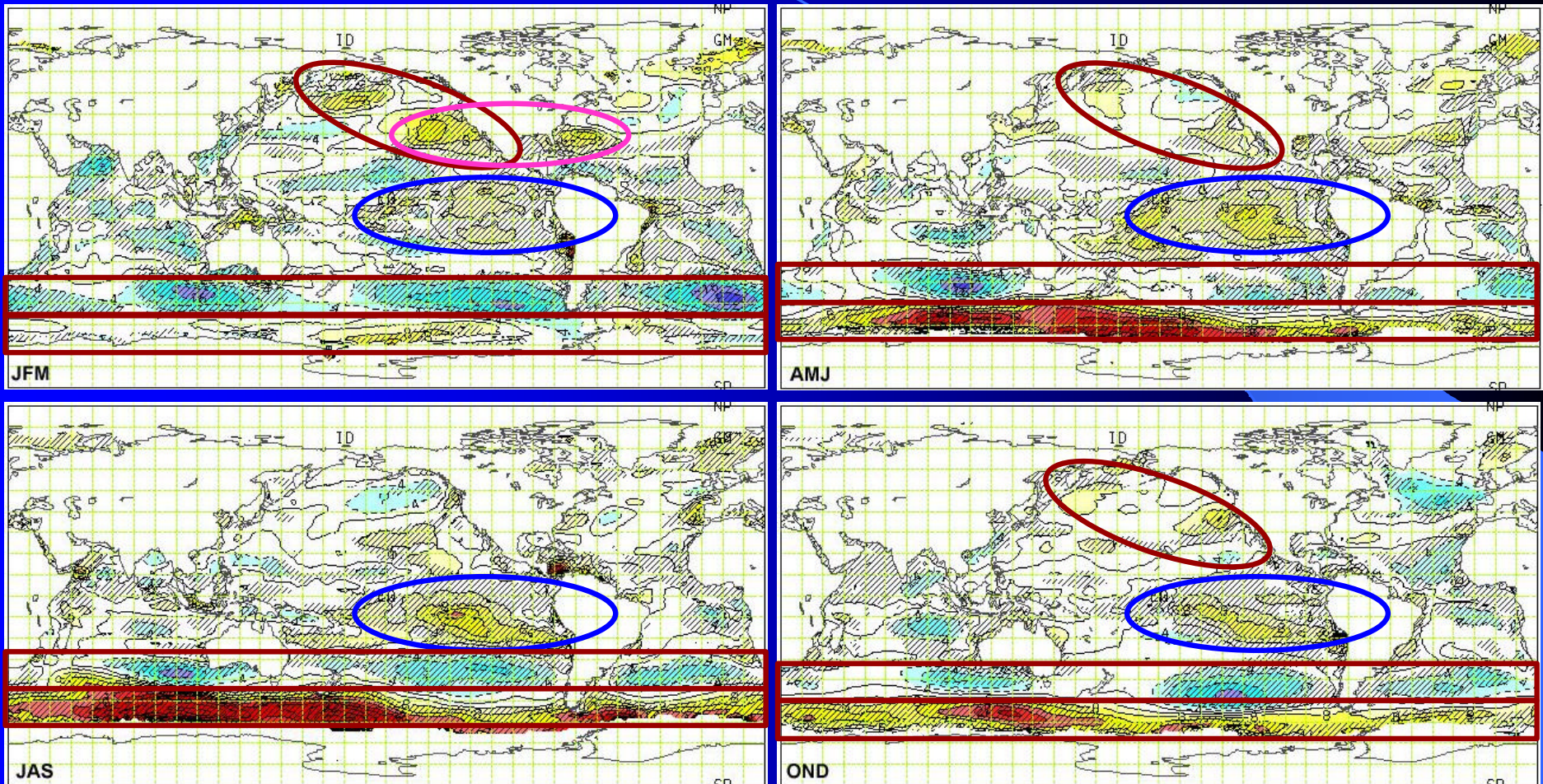
SSE : Var. due to climate noise (internal var.) and the “common forcing”

F tests → Significance of the 3 var. components
& the sum of them



Changes projected by the 3 climate models combined

Projected changes in seasonal mean SWH – A2 scenario (2080's minus 1990's)

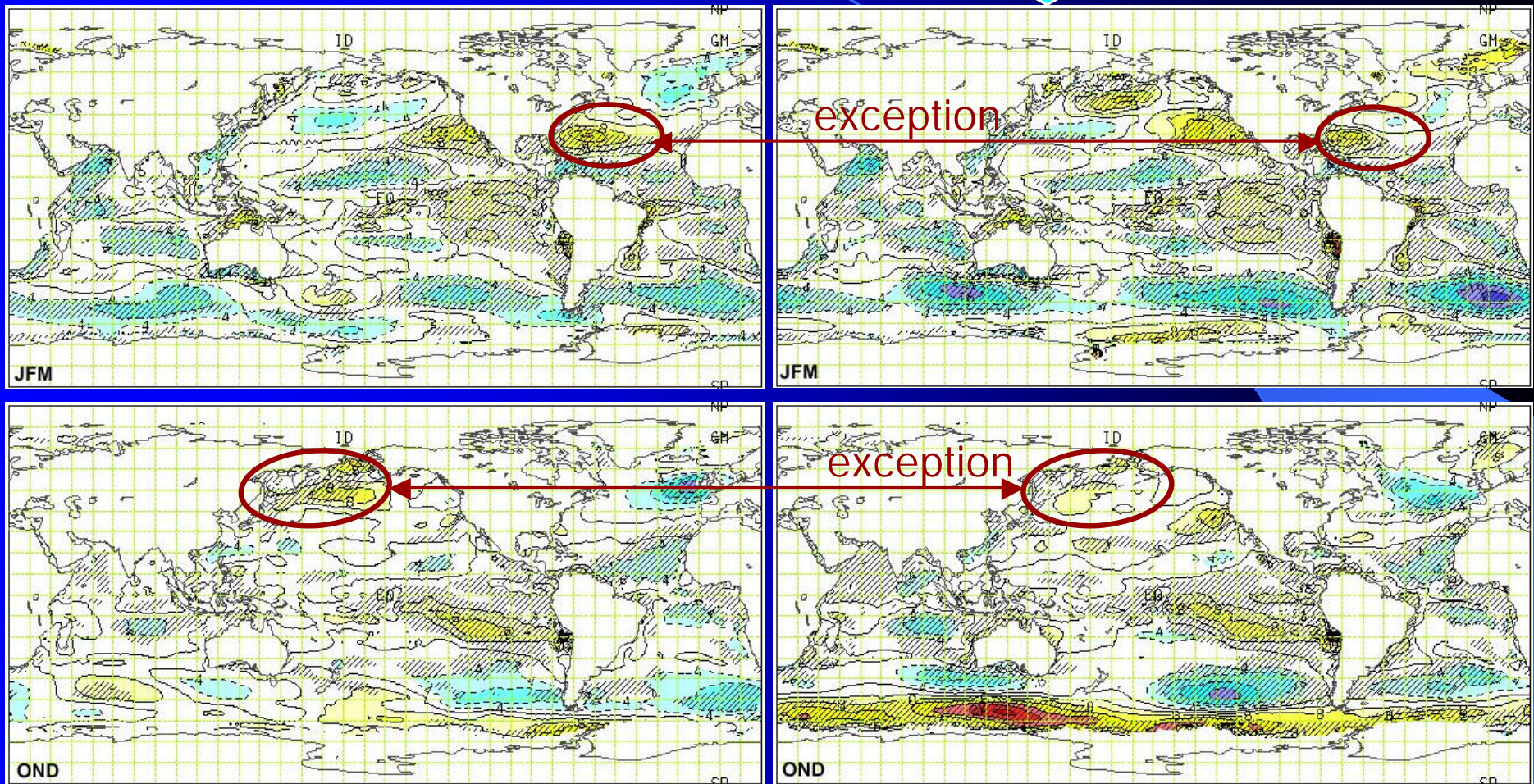


Yellow-Red: ↑ Cyan-Blue: ↓ Contour interval: 4 cm
Hatching: changes of $\geq 95\%$ confidence

A2 vs. B2 scenario projections: Similar patterns of change

Weaker B2 scenario: generally
↓ smaller changes

A2 scenario
↓

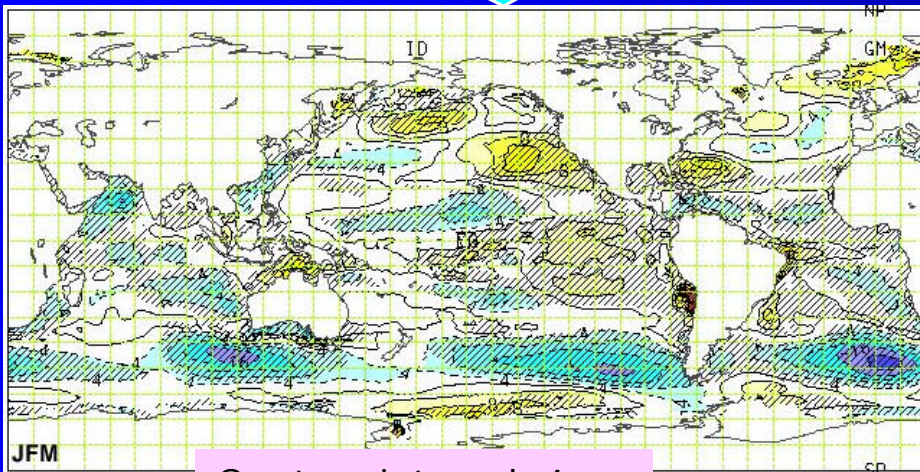


Yellow-Red: ↑ Cyan-Blue: ↓ Contour interval: 4 cm
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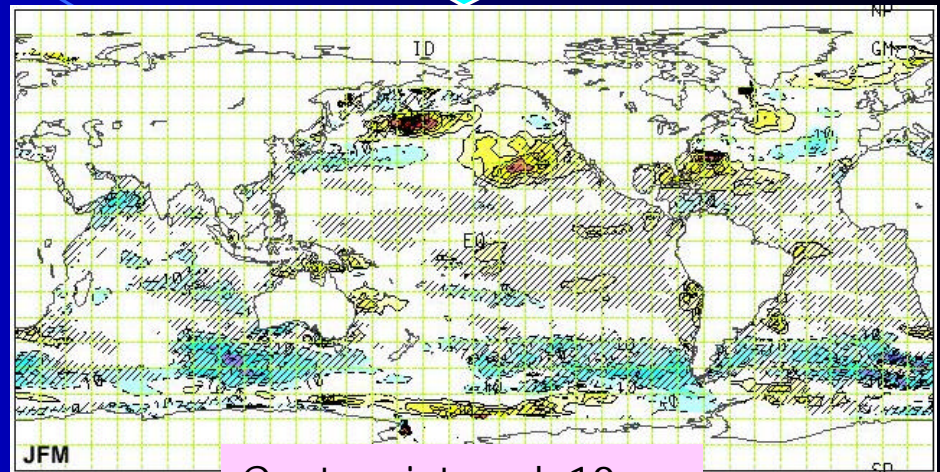
Similar patterns of projected change

Seasonal mean SWH

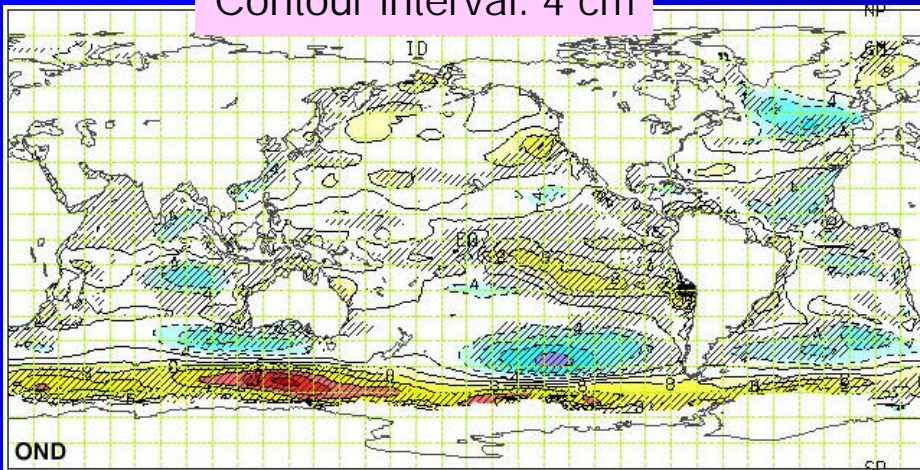
Seasonal extreme SWH



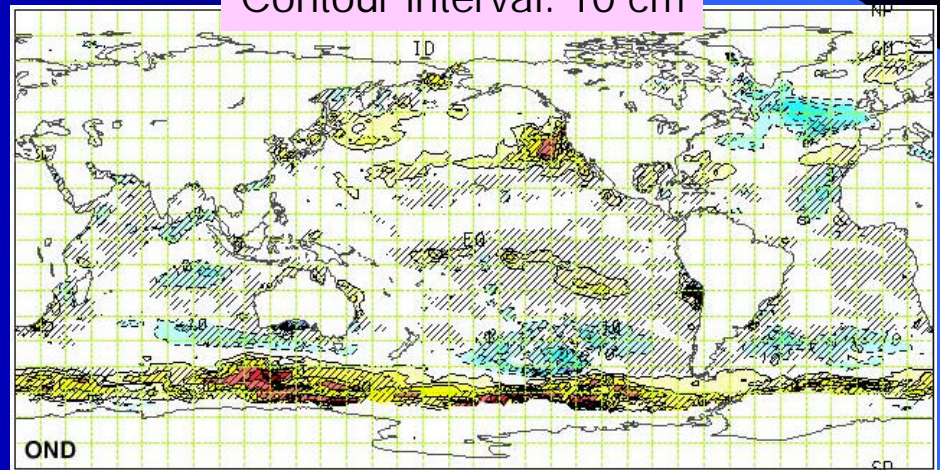
Contour interval: 4 cm



Contour interval: 10 cm



OND



OND

Yellow-Red: ↑ Cyan-Blue: ↓ Contour interval: 4 cm
Hatching: changes of $\geq 95\%$ confidence

A2 scenario

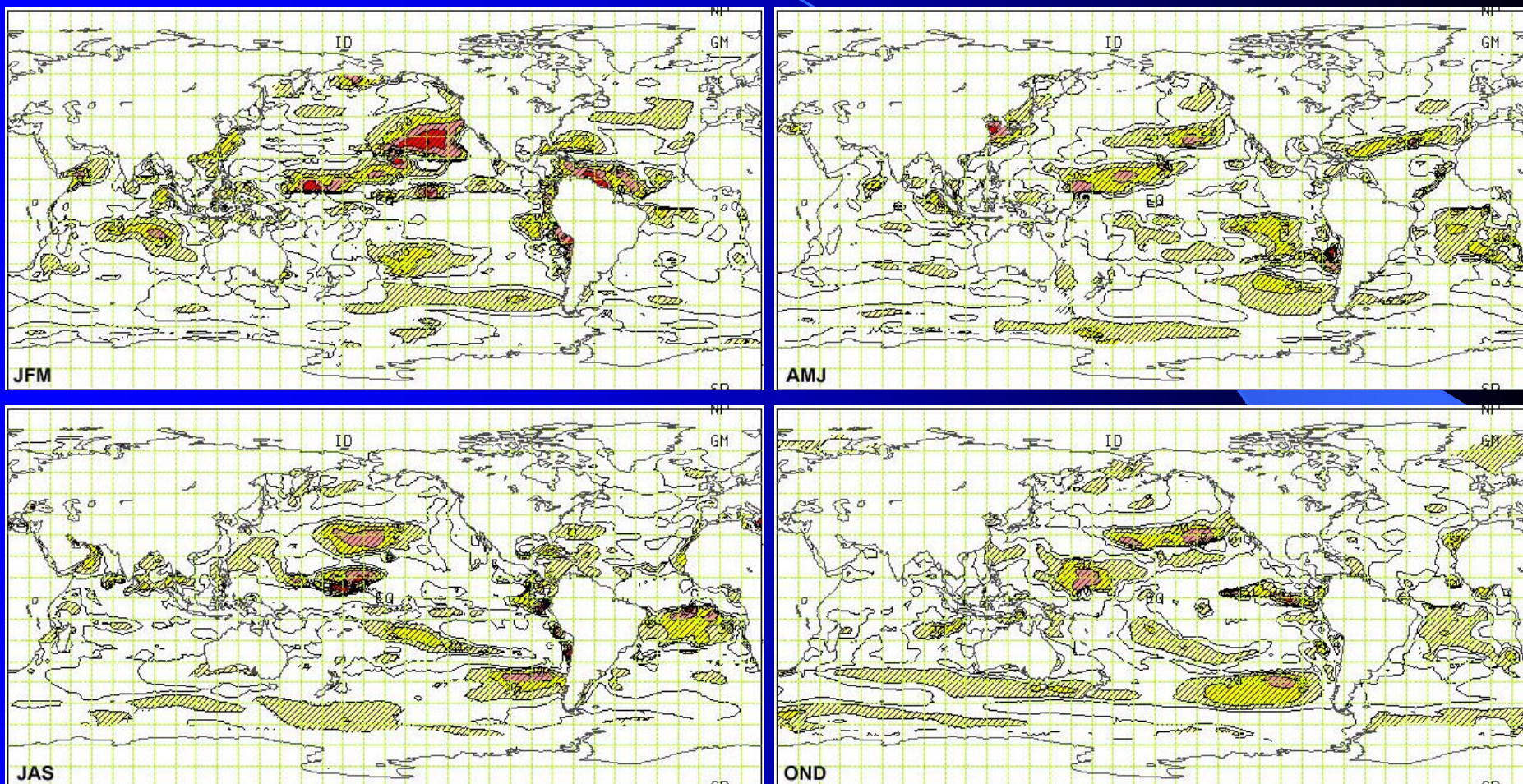
Projected changes = Forced climate change + Internal natural var.

Climate change signal in the CGCM2
ensemble simulations

Forcing-induced var. proportion in seasonal mean SWH - A2 scenario

Hatching: $\geq 95\%$ confidence

Contour interval: 10%



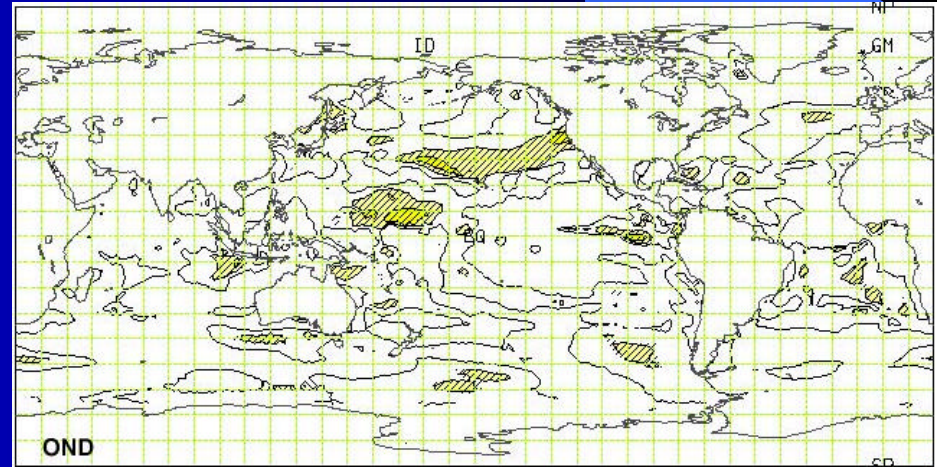
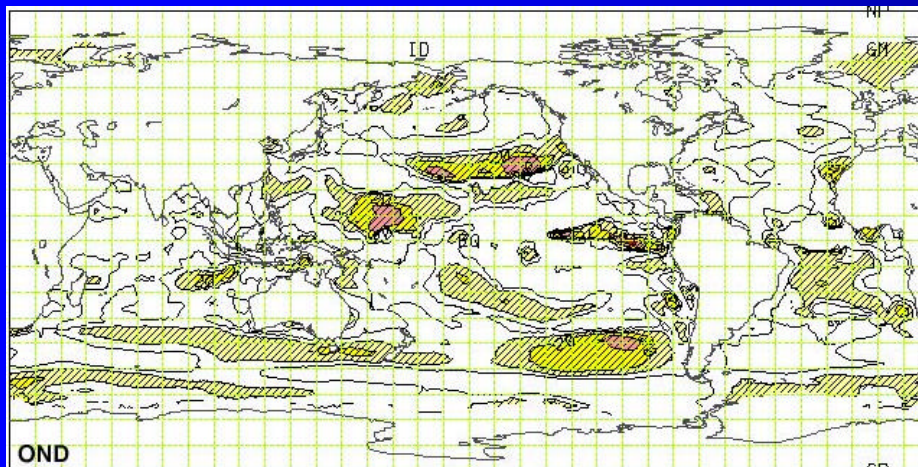
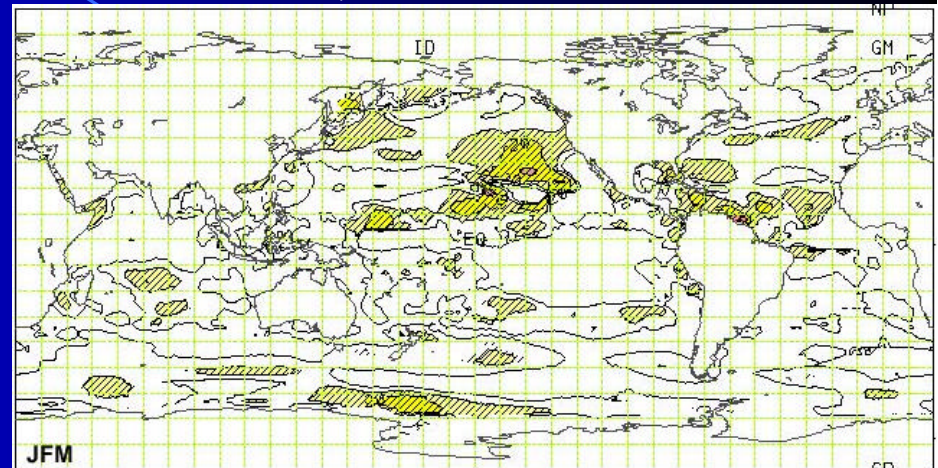
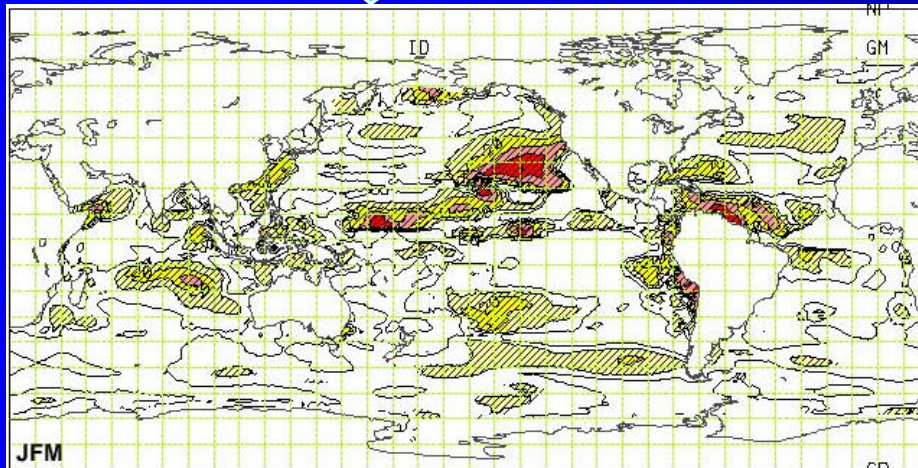
Ensemble size = 3 \rightarrow Signal likely more significant than shown here!

Forcing-induced var. in seasonal mean SWH – A2 vs. B2

A2 scenario



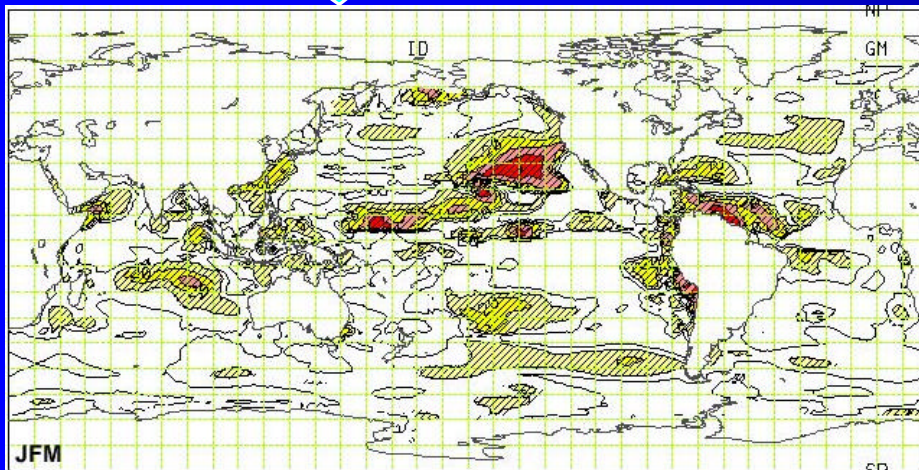
B2 scenario: weaker signal



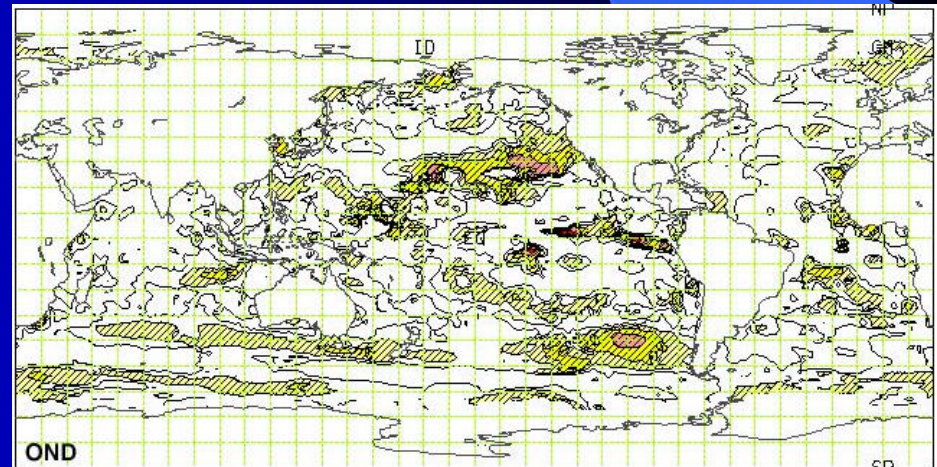
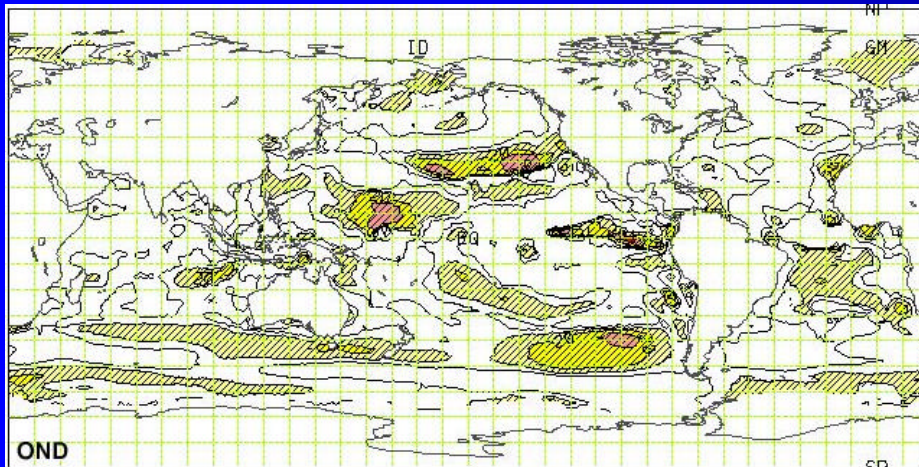
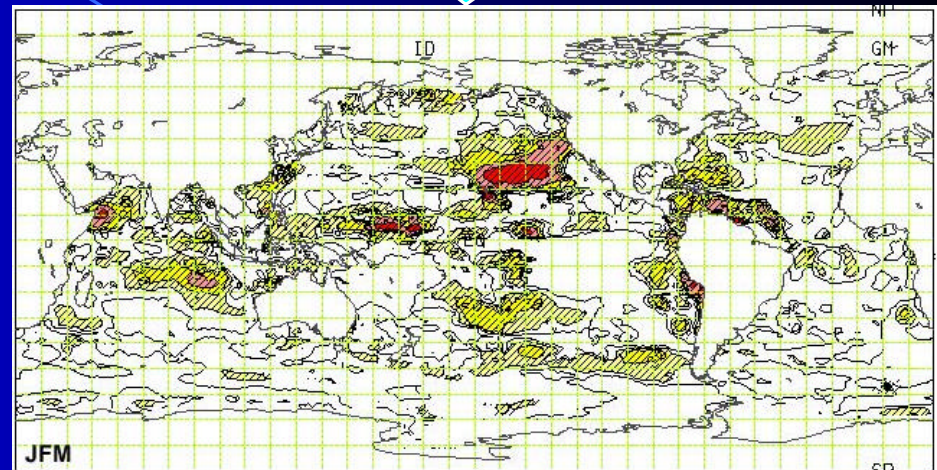
Contour interval: 10% Hatching: $\geq 95\%$ confidence

Forcing-induced var. – A2 scenario

Mean SWH



Extreme SWH

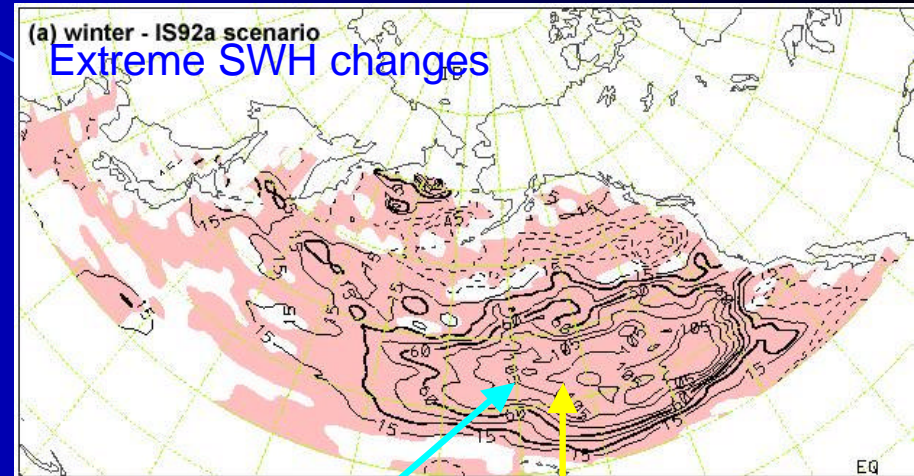
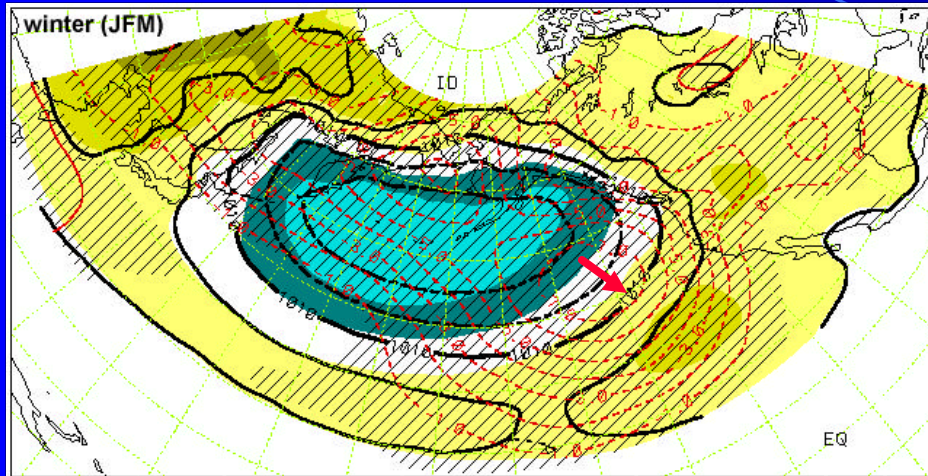


Contour interval: 10%

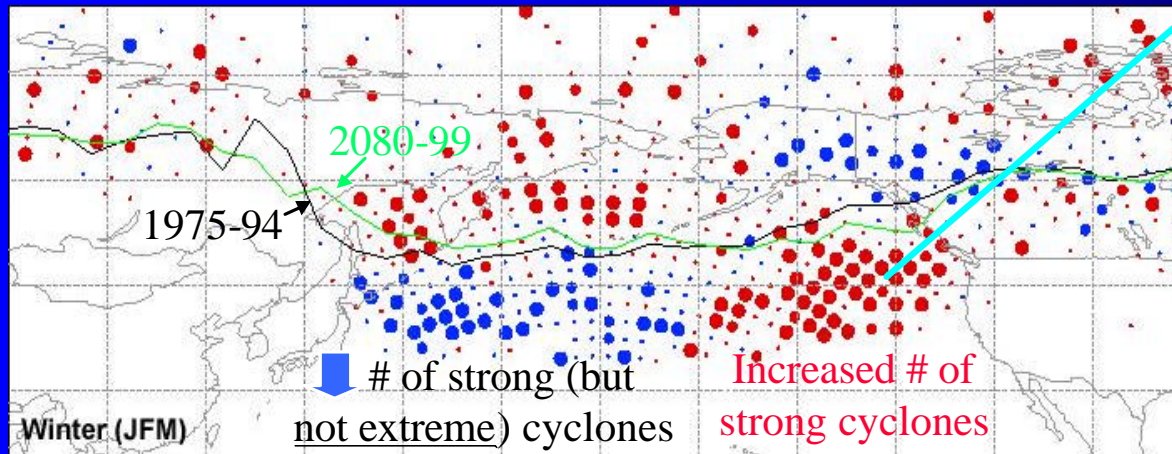
Hatching: $\geq 95\%$ confidence

2070-99 1961-90
 Related SLP climate changes (2080s minus 1970s) – N. Pacific

↓ (IS92a scenario)



Intensified & southeastward expanded Aleutian low
 Clock-wise "rotated" storm track:



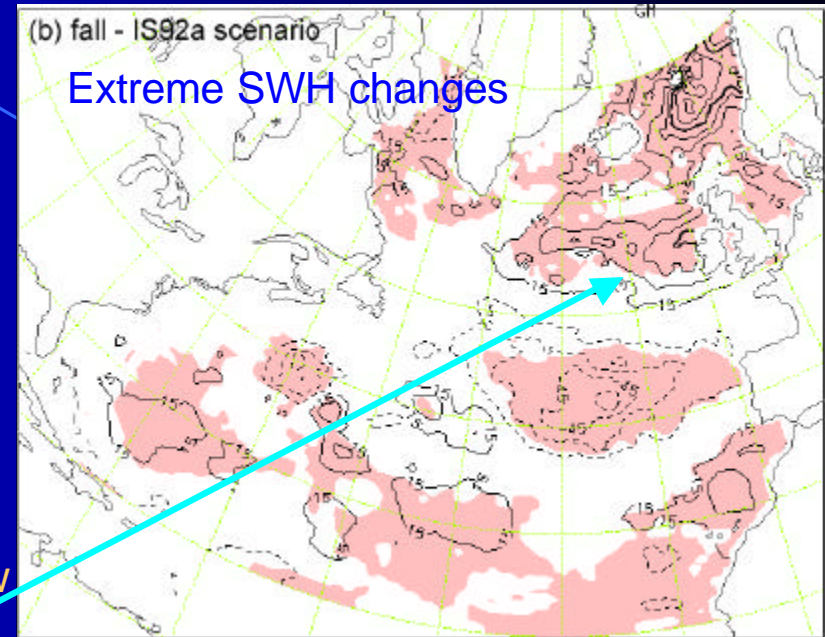
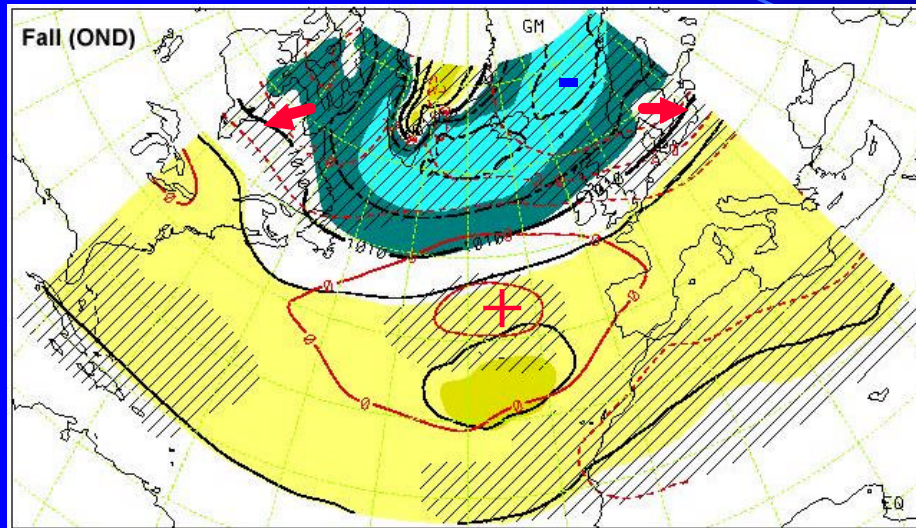
Area of significant wave climate change signal

More in my next presentation

Red: ↑ Blue: ↓
 Large dots: ≥ 95% conf.

Related SWH climate changes (2080s minus 1970s) – NA

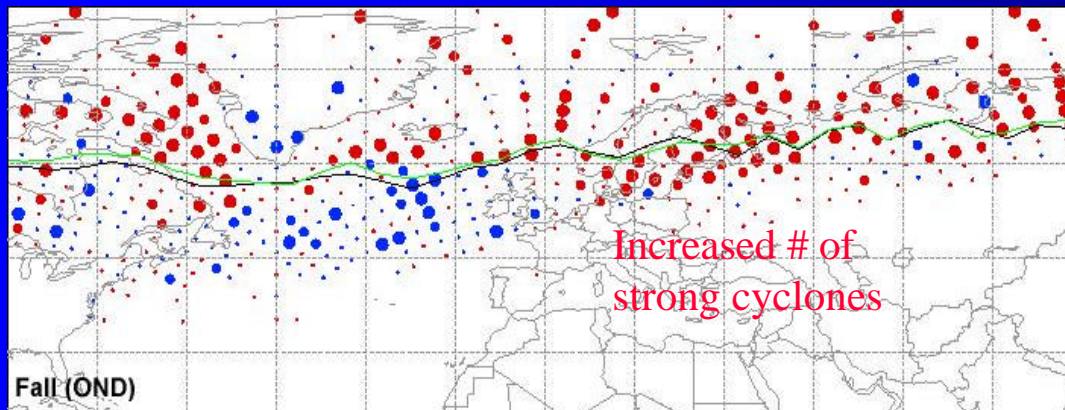
↓ (IS92a scenario)



West- & southeast-ward expanded Icelandic low

~ ↑ positive NAO

~ ↑ SLP gradient & stronger westerly:



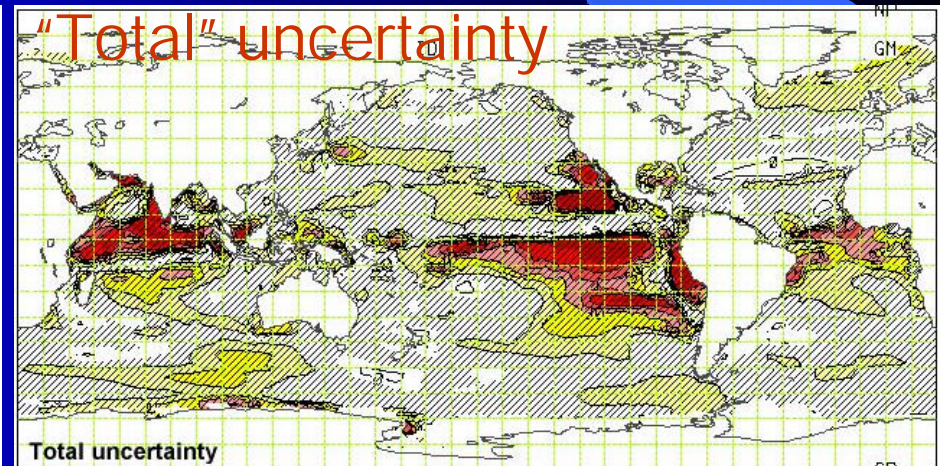
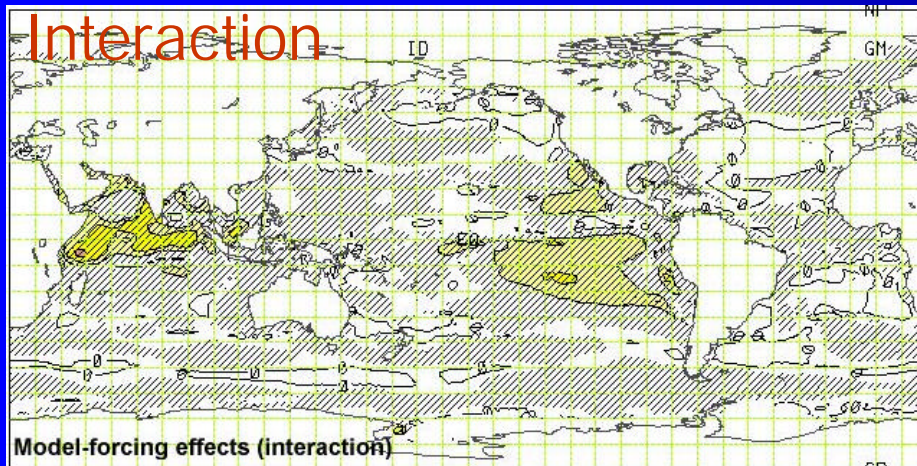
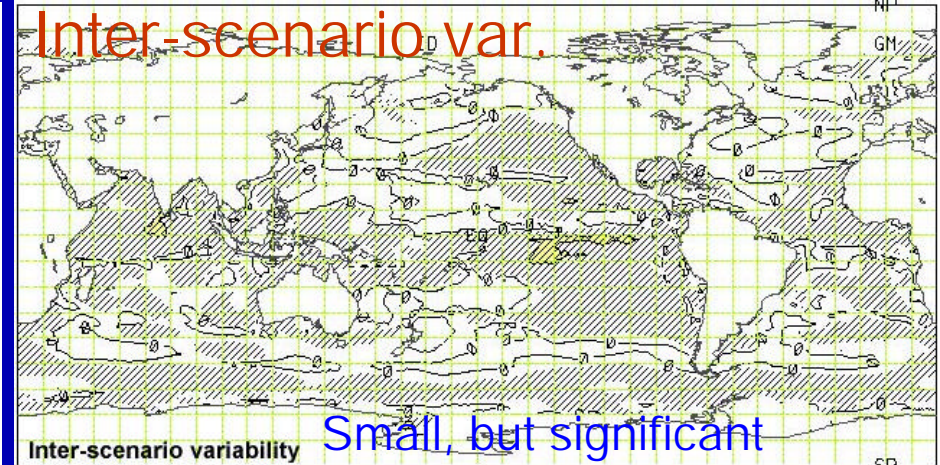
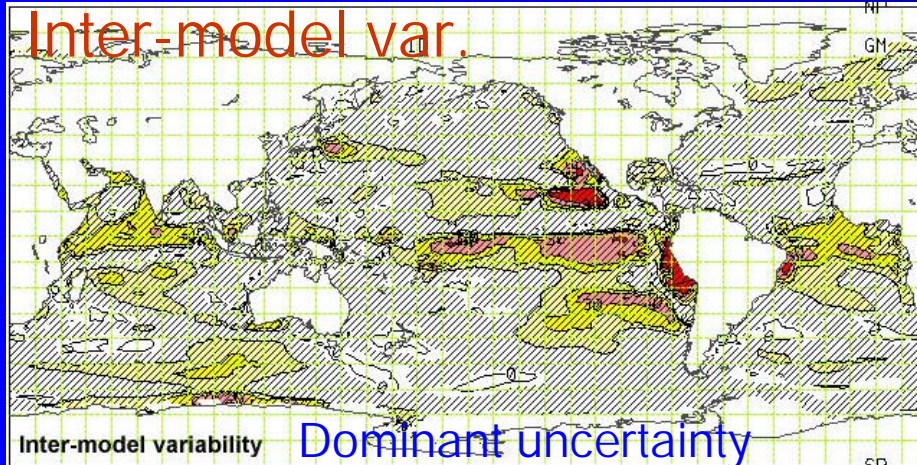
Red: ↑ Blue: ↓
Large dots: $\geq 95\%$ conf.

Characteristics of uncertainties

Model & forcing uncertainties - JFM mean - Var.%

Hatching: $\geq 95\%$ confidence

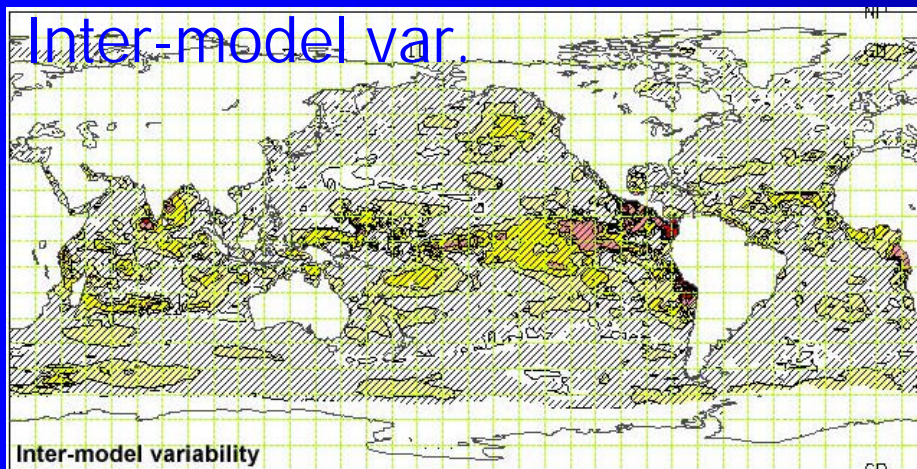
Contour interval: 10%



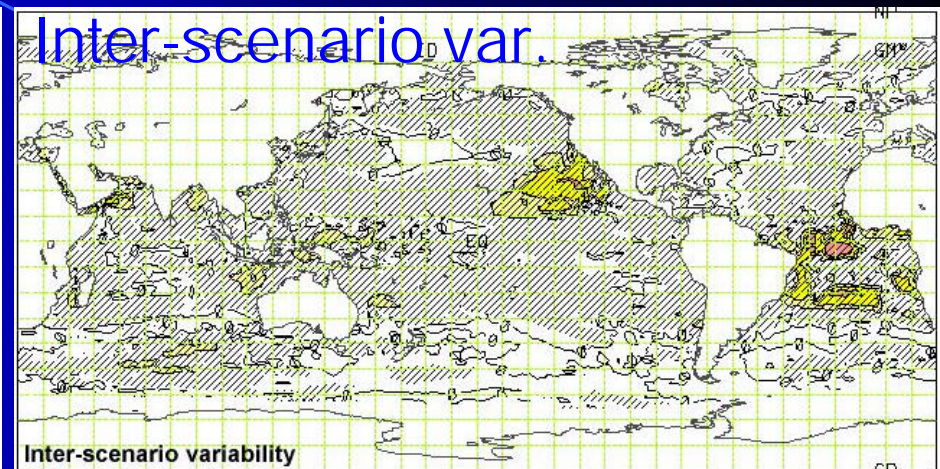
Similar in the other seasons

Model & forcing uncertainties - JAS extreme - Var.%

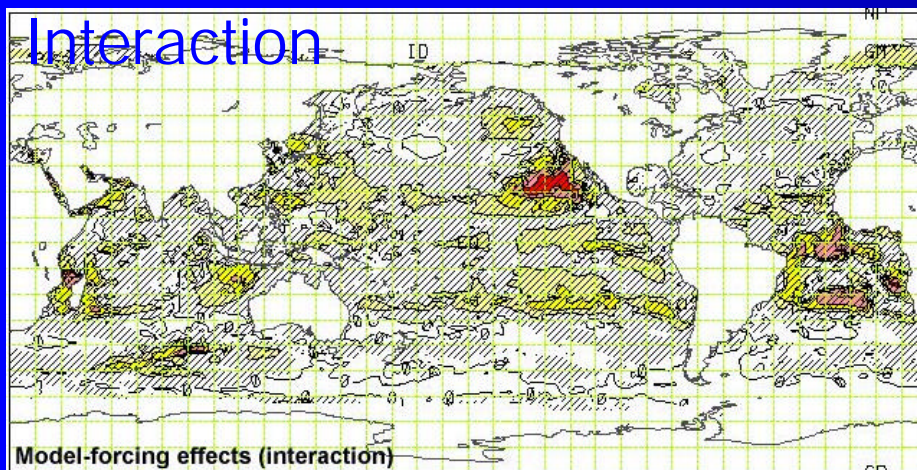
Inter-model var.



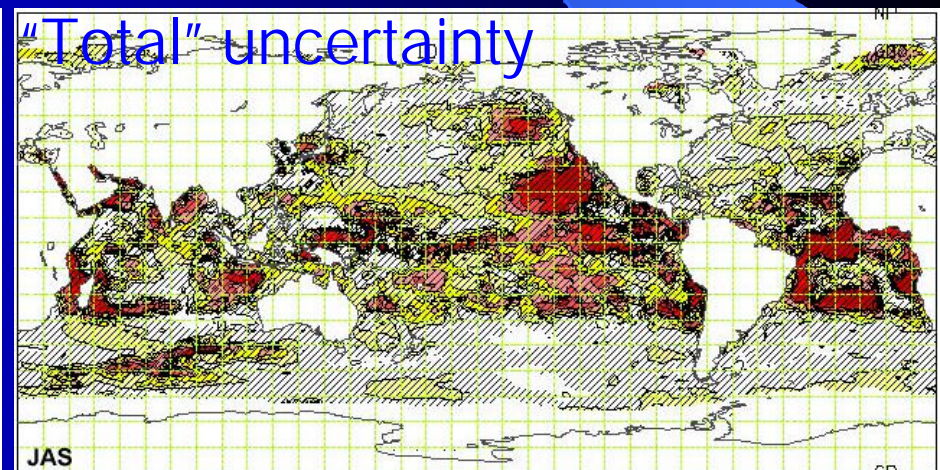
Inter-scenario var.



Interaction



"Total" uncertainty

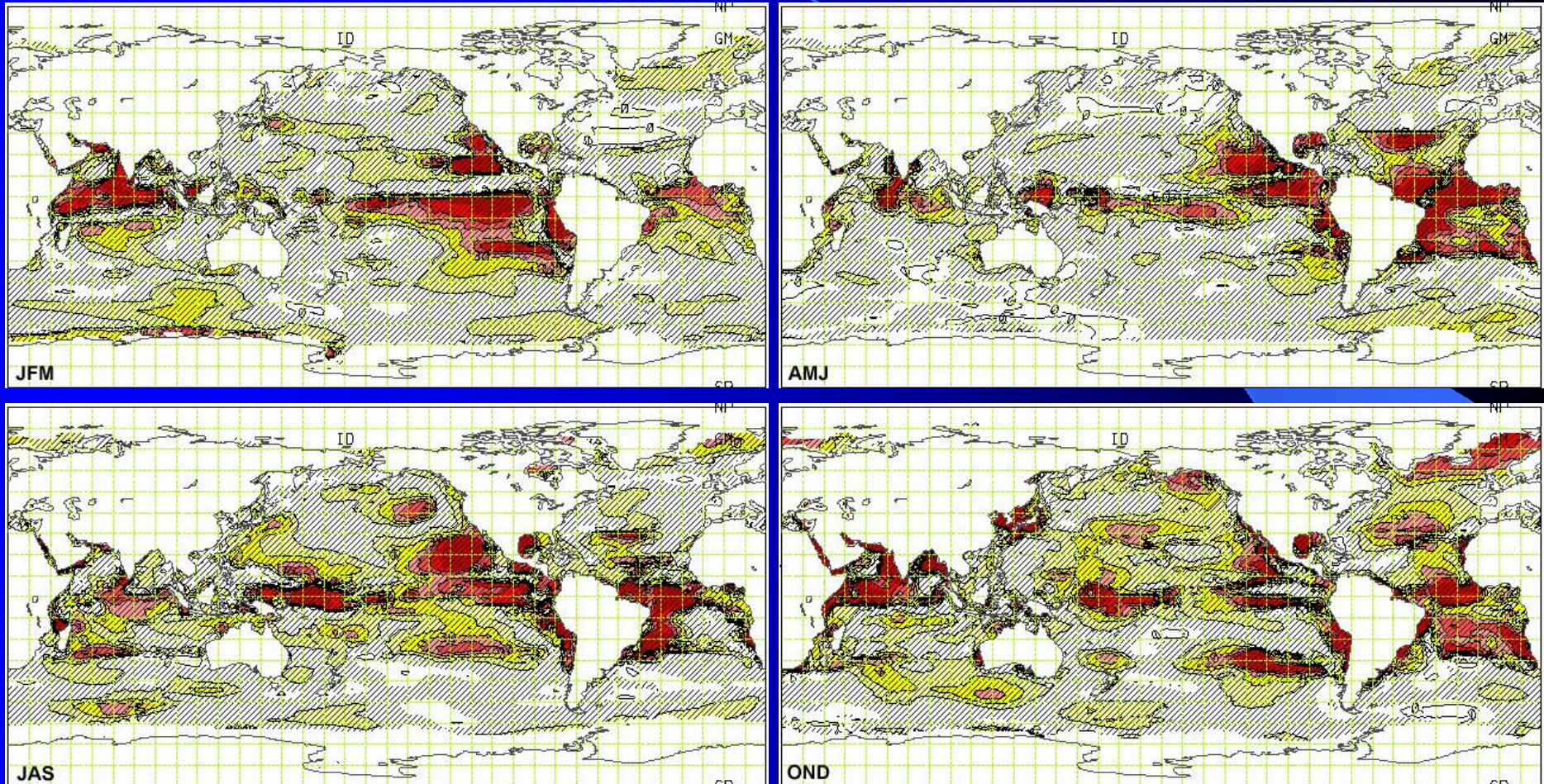


Contour interval: 10%

Hatching: $\geq 95\%$ confidence

"Total" uncertainty – mean SWH – Var.%

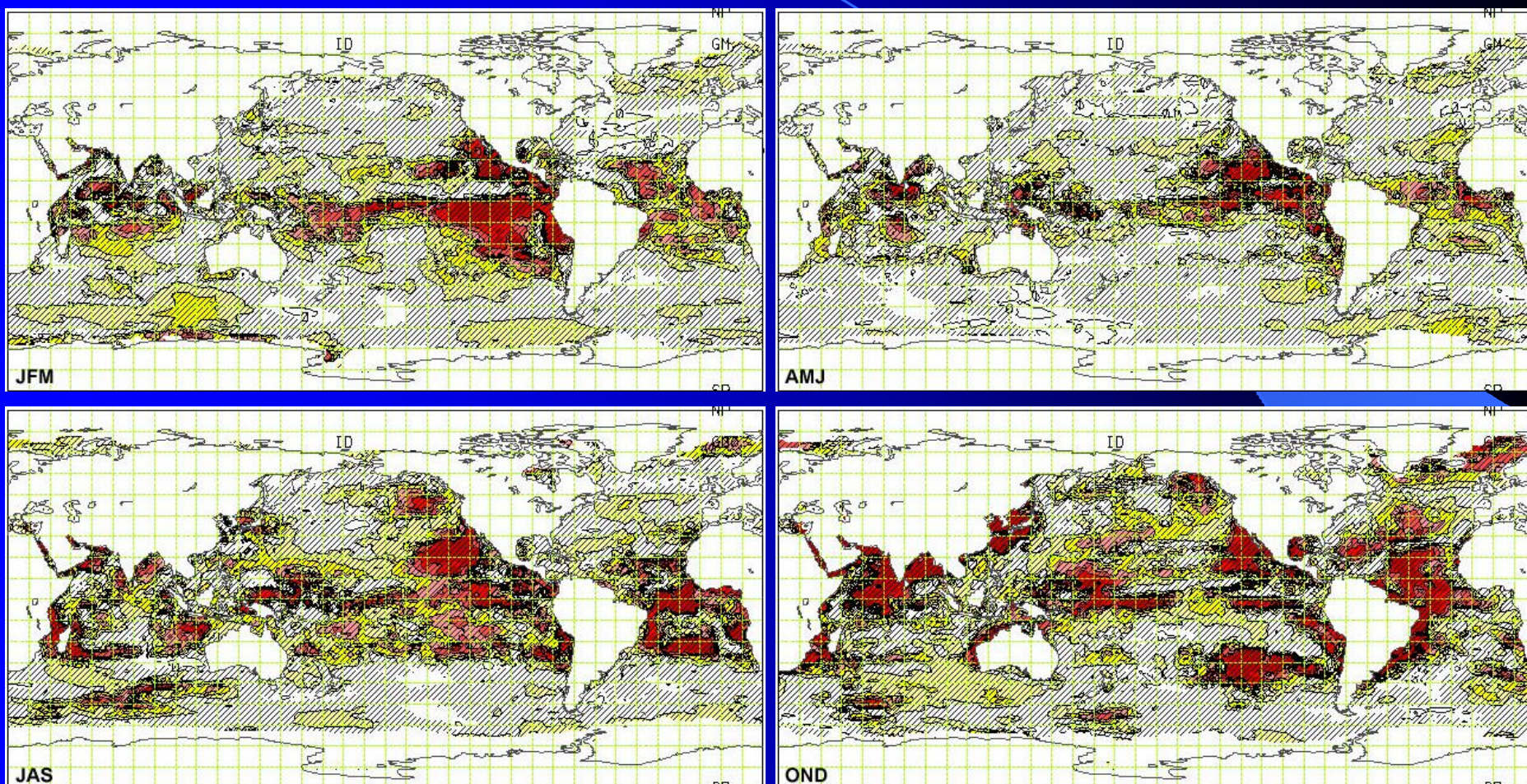
Small in mid-high lat., large in the tropics; less extensive in AMJ & JFM



Contour interval: 10% Hatching: $\geq 95\%$ confidence

"Total" uncertainty – extreme SWH – Var.%

Similar: small in mid-high lat., large in the tropics; less extensive in AMJ & JFM

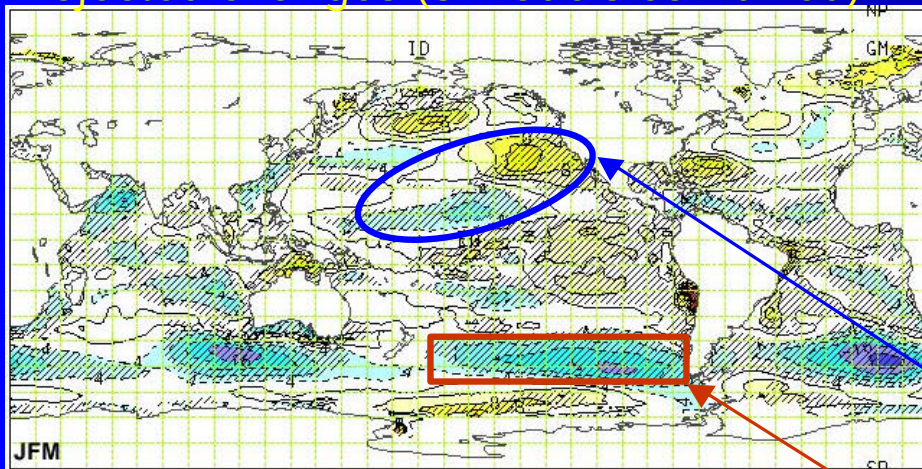


Contour interval: 10%

Hatching: $\geq 95\%$ confidence

JFM seasonal mean SWH

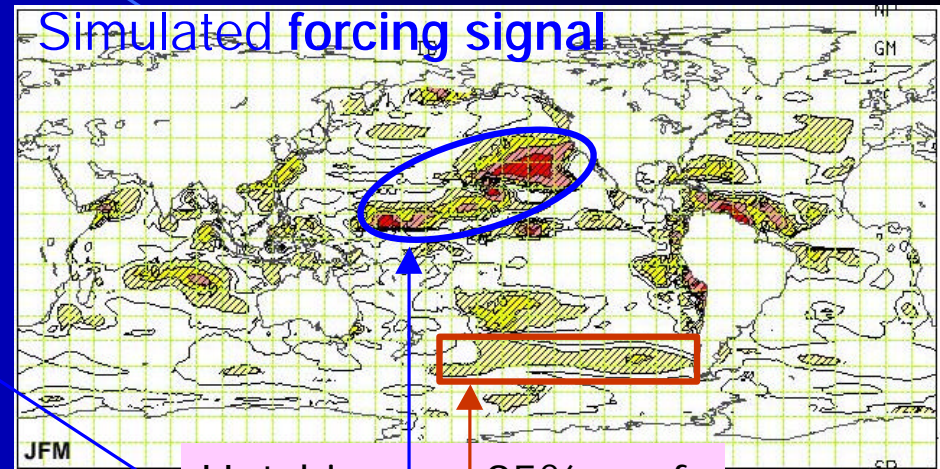
Projected changes (3 models combined)



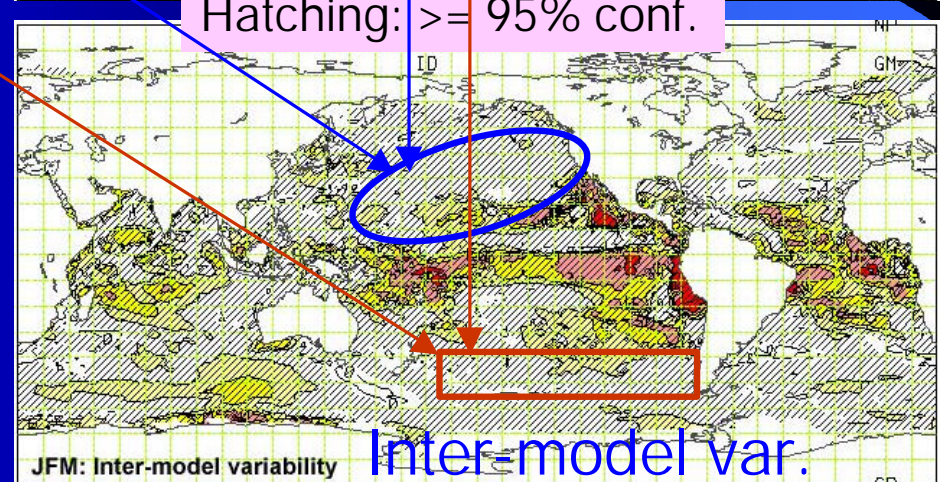
Yellow-Red: ↑ Cyan-Blue: ↓

Large projected changes
– small model uncertainty
→ Higher confidence?

Simulated forcing signal



Hatching: $\geq 95\%$ conf.



Inter-model var.

Summary

1. Multi-model projected changes of SWH:

- > Patterns similar to those projected by the CGCM2 alone
- > **Smaller magnitude of change**

2. Forcing-induced variability in CGCM2 simulations:

- > Statistically significant in some areas, in all seasons
- > **Largest in the mid-latitudes of NP (JFM, A2/IS92a)**

Summary (cont'd)

3. Uncertainty:

- > Large in the tropics, but small in the mid-high latitudes (more confident about the projected large changes in mid-high lat.)
- > Forcing uncertainty is statistically significant, although relatively small → forcing condition matters
- > Development of models → reduced model uncertainty

4. The model uncertainty limited to the 3 climate models

Other sources of uncertainty not discussed here

e.g.: different RCMs, or Dynamical vs. Statistical, or

GEV vs. GPD – a separate study

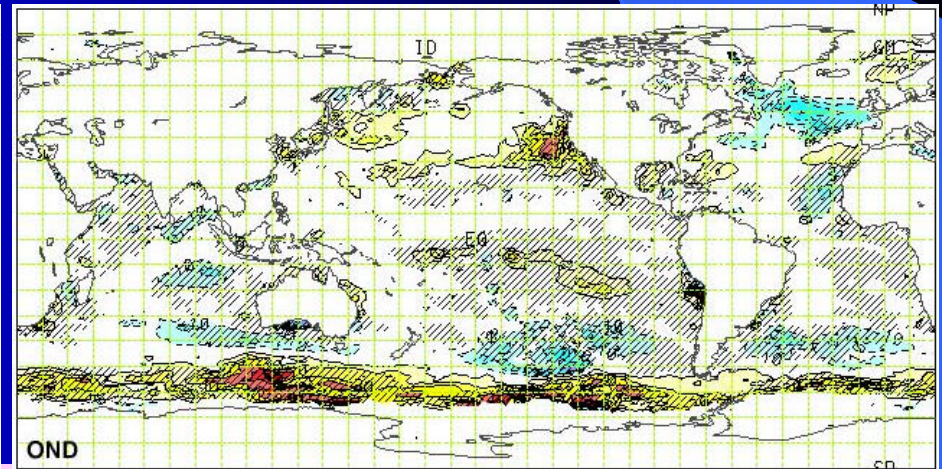
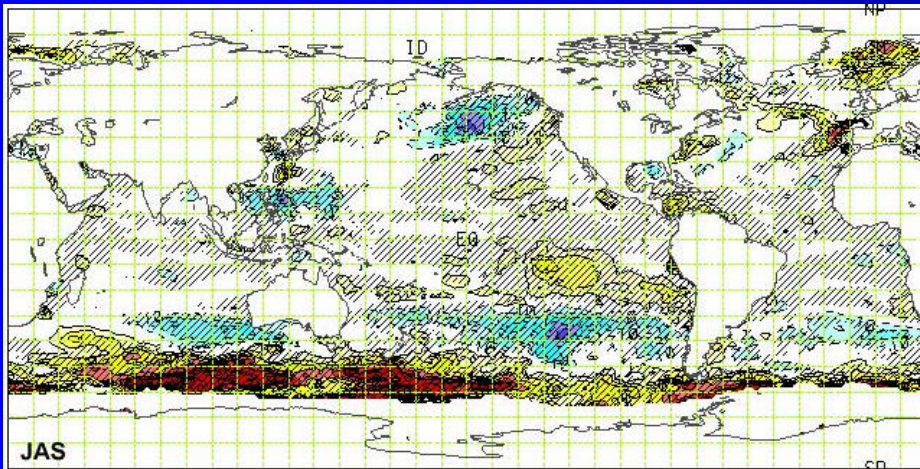
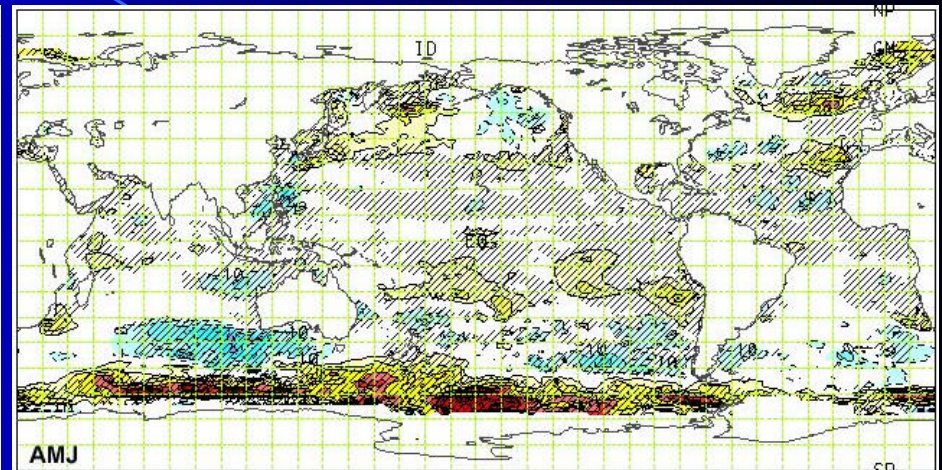
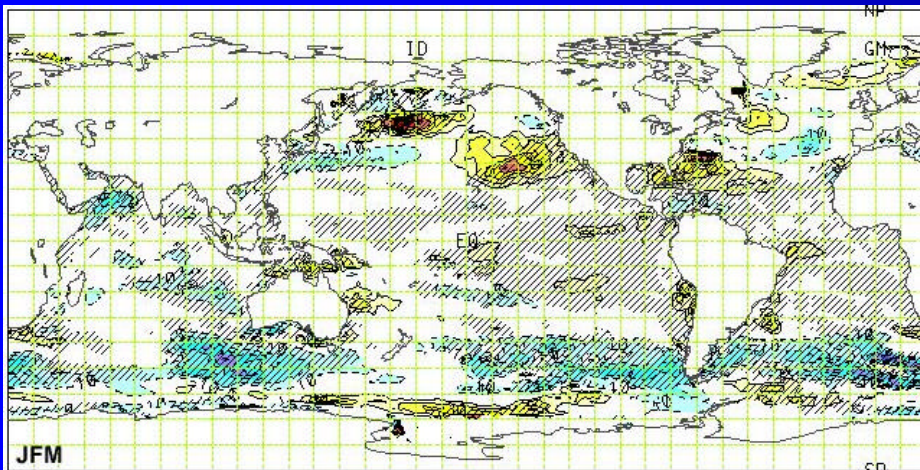
Acknowledgement

The authors are thankful to Mr. **Yang Feng** and Ms. **Qiuzi Wen** for their great computing support.

- The End -

Thank you very much!

Projected changes in extreme SWH – 3 models combined – A2 scenario
(2080's minus 1990's)



Contour interval: 10 cm

Forcing-induced var. proportion in extreme SWH – CGCM2 - A2 scenario

